



Benjamin, D. J., Berger, J. O., Johannesson, M., Nosek, B. A., Wagenmakers, E. J., Berk, R., Bollen, K. A., Brembs, B., Brown, L., Camerer, C., Cesarini, D., Chambers, C. D., Clyde, M., Cook, T. D., De Boeck, P., Dienes, Z., Dreber, A., Easwaran, K., Efferson, C., ... Johnson, V. E. (2018). Redefine statistical significance. *Nature Human Behaviour*, 2(1), 6-10. <https://doi.org/10.1038/s41562-017-0189-z>

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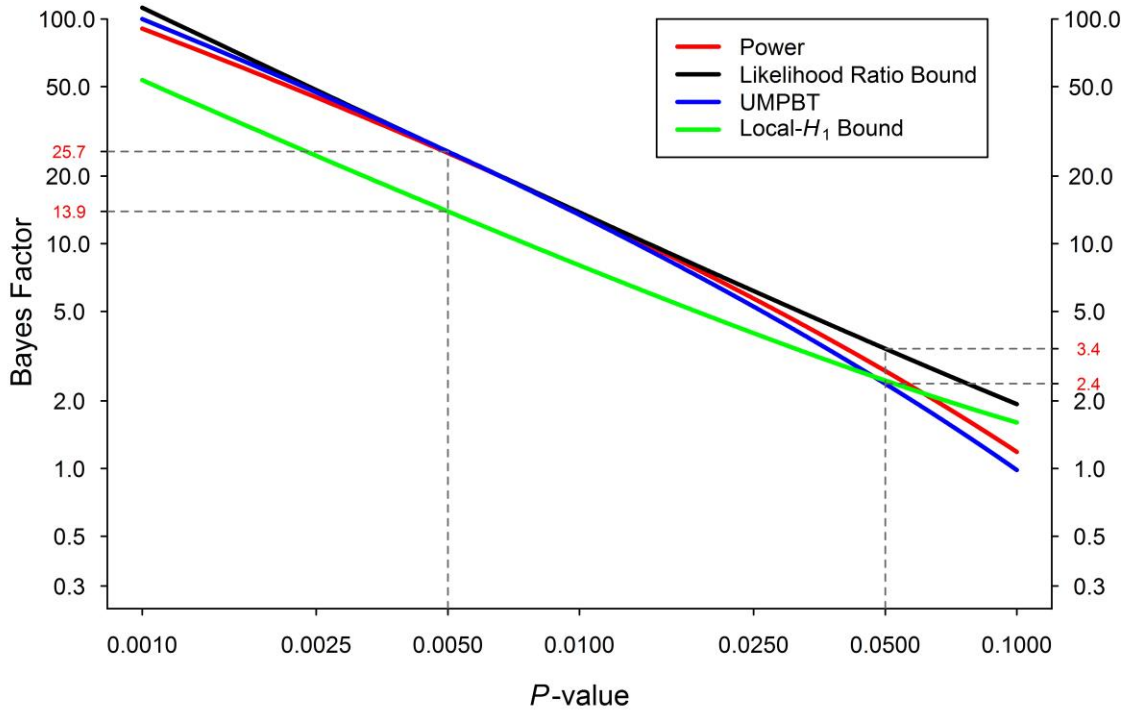
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**Fig. 1. Relationship between the  $P$ -value and the Bayes Factor.** The Bayes factor (BF) is defined as  $\frac{f(x_{\text{obs}}|H_1)}{f(x_{\text{obs}}|H_0)}$ . The figure assumes that observations are drawn i.i.d. according to  $x \sim N(\mu, \sigma^2)$ , where the mean  $\mu$  is unknown and the variance  $\sigma^2$  is known. The  $P$ -value is from a two-sided  $z$  test (or equivalently a one-sided  $\chi_1^2$  test) of the null hypothesis  $H_0: \mu = 0$ . “Power”: BF obtained by defining  $H_1$  as putting  $\frac{1}{2}$  probability on  $\mu = \pm m$  for the value of  $m$  that gives 75% power for the test of size  $\alpha = 0.05$ . This  $H_1$  represents an effect size typical of that which is implicitly assumed by researchers during experimental design. “Likelihood Ratio Bound”: BF obtained by defining  $H_1$  as putting  $\frac{1}{2}$  probability on  $\mu = \pm \hat{x}$ , where  $\hat{x}$  is approximately equal to the mean of the observations. These BFs are upper bounds among the class of all  $H_1$ ’s that are symmetric around the null, but they are improper because the data are used to define  $H_1$ . “UMPBT”: BF obtained by defining  $H_1$  according to the uniformly most powerful Bayesian test (5) that places  $\frac{1}{2}$  probability on  $\mu = \pm w$ , where  $w$  is the alternative hypothesis that corresponds to a one-sided test of size 0.0025. This curve is indistinguishable from the “Power” curve that would be obtained if the power used in its definition was 80% rather than 75%. “Local- $H_1$  Bound”:  $\text{BF} = \frac{1}{-ep \ln p}$ , where  $p$  is the  $P$ -value, is a large-sample upper bound on the BF from among all unimodal alternative hypotheses that have a mode at the null and satisfy certain regularity conditions (15). For more details, see the Supplementary Online Materials (SOM).